Decoding for SMT

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About this talk

This talk is not

 a review of beam search, cube pruning or any specific decoding algorithm

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This talk is about

understanding what makes decoding difficult

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- making predictions
 - decisions in a highly combinatorial space of possibilities

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 characterise the space of solutions (discuss tractability issues)

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- 2. understand the impact of parameterisation

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Goals

- 1. characterise the space of solutions (discuss tractability issues)
- 2. understand the impact of parameterisation
- 3. survey decoding techniques

Task

Translate a source text (e.g. sentence) Examples:

```
um\ conto\ de\ duas\ cidades \rightarrow a\ tale\ of\ two\ cities
nosso\ amigo\ comum \rightarrow our\ mutual\ friend
a\ loja\ de\ antiguidades \rightarrow the\ old\ curiosity\ shop
o\ grill\ da\ lareira \rightarrow the\ cricket\ on\ the\ hearth
```

Defines the space of possible translations

► think of it as a recipe to generate translations [Lopez, 2008]

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Example:

a word replacement model

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Example:

- a word replacement model
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- with no insertions or deletions
- constrained to known word-to-word bilingual mappings (rule set)

```
Source: um conto de duas cidades

Translation rules¹
um {a, some, one}
conto {tale, story, narrative, novella}
de {of, from, 's}
duas {two, couple}
cidades {cities, towns, villages}
```

¹Unrealistically simple

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um {a, some, one}
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a tale of two cities
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um conto de duas cidades
a tale of two cities
a tale of two towns
a tale of two villages

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a tale of two cities
a tale of two towns
a tale of two villages
a tale of couple cities
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This can go very far :(

Monotone word-by-word translation: complexity

Say

- ▶ the input has *I* words
- we know at most t translation options per source word

Monotone word-by-word translation: complexity

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This makes $O(t^I)$ solutions

Monotone word-by-word translation: complexity

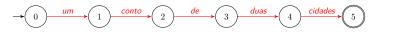
Say

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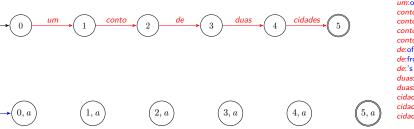
Note

- ▶ WMT14's shared task: I = 40 on average
- ▶ last I checked Moses default was t = 100 (for a more complex model)
- ightharpoonup silly monotone word replacement model: 10^{80} solutions

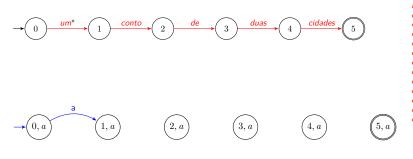


um:a
um:some
um:some
conto:story
conto:narrative
conto:narrative
conto:narrative
conto:narrative
de:fo
de:fs
duas:two
duas:couple
cidades:cities
cidades:villages

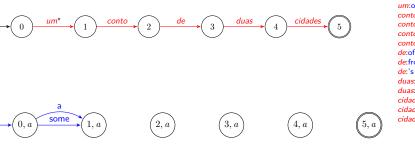




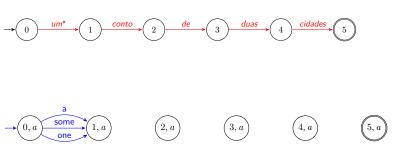
um:a
um:some
um:some
conto:stay
conto:narrative
conto:narrative
conto:novella
de:of
de:from
de:'s
duas:two
duas:couple
cidades:cities
cidades:villages



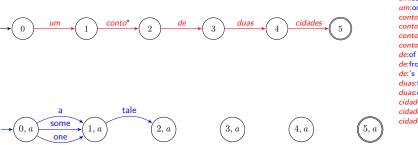
um:a ← um:some um:one conto:tale conto:story conto:narrative conto:novella de:from de:fs duas:two duas:couple cidades:cities cidades:villages



um:a √
um:some ←
um:some ←
um:some conto:tale
conto:story
conto:novella
de:of
de:from
dei's
duas:two
duas:couple
cidades:cities
cidades:villages



um:a √
um:some √
um:some √
um:some ←
conto:story
conto:narrative
conto:novella
de:of
de:from
de:s
duas:two
duas:couple
cidades:cities
cidades:villages



um:a √
um:some √
um:some √
conto:story
conto:narrative
conto:narrative
conto:novella
de:of
de:from
de:s
duas:two
duas:couple
cidades:cities
cidades:villages

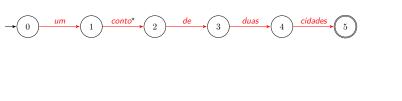


tale

story

some

one



3, a

4, a

um:a

um:some

um:some

conto:stape

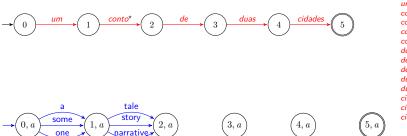
conto:story

conto:novella
de:of

de:from
de:s

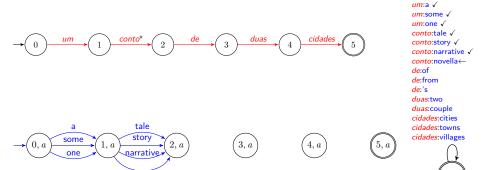
duas:two
duas:couple
cidades:cities
cidades:villages



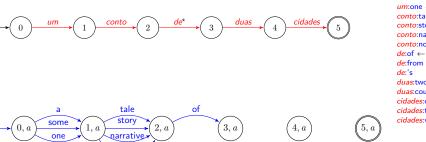


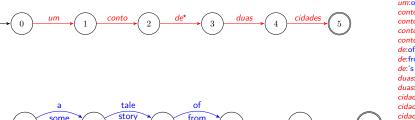
um:a √
um:some √
um:some √
conto:tale √
conto:story √
conto:narrative ←
conto:novella
de:of
de:from
de:'s
duas:two
duas:couple
cidades:cities
cidades:towns
cidades:villages

novella



novella





from

4, a

2, a

narrative

novella

some

one

um:a √ um:some √ um:one √ conto:tale √ conto:story √ conto:narrative √ conto:novella/ de:of √ $de:from \leftarrow$ duas:two duas:couple cidades:cities cidades:towns cidades:villages





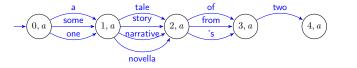








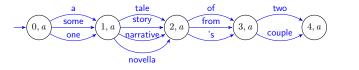




um:a \(\) um:some \(\) um:some \(\) conto:tale \(\) conto:story \(\) conto:novella\(\) de:for \(\) de:from \(\) de:from \(\) duas:two \(-\) duas:two \(\) duased descities cidades:towns cidades:villages



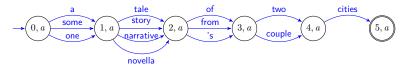




um:a \(\) um:some \(\) um:some \(\) conto:stale \(\) conto:story \(\) conto:narrative \(\) conto:novella\(\) de:fo \(\) de:from \(\) de:from \(\) deas:two \(\) duas:two \(\) duas:two \(\) cidades:cities cidades:towns cidades:villages

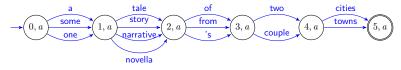




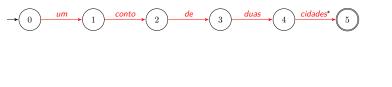


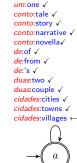
um:a √
um:some √
um:sone √
conto:tale √
conto:story √
conto:novella√
de:of √
de:from √
de:'s √
duas:two √
duas:couple √
cidades:cities ←
cidades:twons
cidades:villages



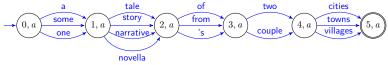


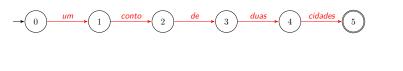
um:a \(\square\) um:some \(\square\) um:some \(\square\) conto:tale \(\square\) conto:narrative \(\square\) conto:novella\(\square\) de:for \(\square\) duas:two \(\square\) duas:couple \(\square\) cidades:ties \(\square\) cidades:ties \(\square\) cidades:ties \(\square\) cidades:villages





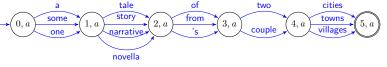
um:a √







um:a √



$$3 \times 4 \times 3 \times 2 \times 3 = 216$$
 solutions

- ▶ 6 states
- \rightarrow 3 + 4 + 3 + 2 + 3 = 15 transitions

Packing solutions with finite-state automata

Same $O(t^I)$ solutions using

- ightharpoonup O(I) states
- ightharpoonup O(tI) transitions

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Model of translational equivalences

- defines the space of possible sentence pairs
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- easy to represent using finite-state transducers
- set of translations given by composition
- exponential number of solutions in linear space
- translates infinitely many sentences but not nearly enough interesting cases!

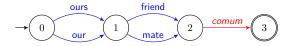
```
nosso {our, ours}
amigo {friend, mate}
comum {ordinary, common, usual, mutual}
```



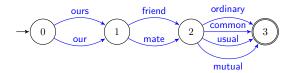
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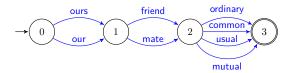
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We simply cannot obtain a correct translation

our mutual friend

Reordering

Our model of translational equivalences assumes monotonicity

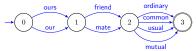
- a word replacement model
- operates in monotone left-to-right order
- with no insertions or deletions
- constrained to known word-to-word bilingual mappings (rule set)

Reordering

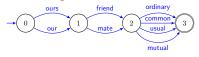
Not anymore!

- a word replacement model
- operates in arbitrary order
- with no insertions or deletions
- constrained to known word-to-word bilingual mappings (rule set)

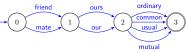
nosso amigo comum



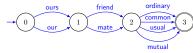
nosso amigo comum



amigo nosso comum



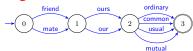
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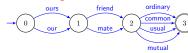
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amigo nosso comum



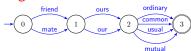
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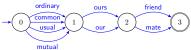
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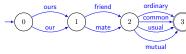
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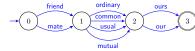
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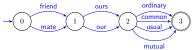
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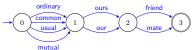
amigo comum nosso



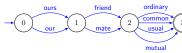
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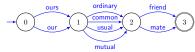
comum nosso amigo



nosso amigo comum



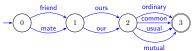
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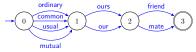
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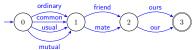


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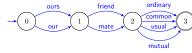


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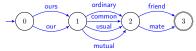




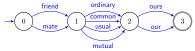
nosso amigo comum



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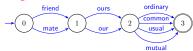


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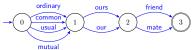


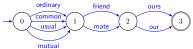
 $3! = 3 \times 2 \times 1 = 6$ permutations

amigo nosso comum

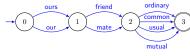


comum nosso amigo





nosso amigo comum



nosso comum amigo

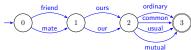


amigo comum nosso

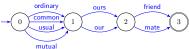


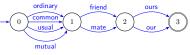
each has $2 \times 2 \times 4 = 16$ translations

amigo nosso comum

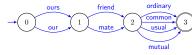


comum nosso amigo





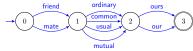
nosso amigo comum



nosso comum amigo

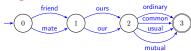


amigo comum nosso

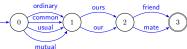


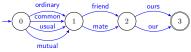
amounting to $6 \times 16 = 96$ solutions

amigo nosso comum

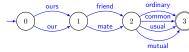


comum nosso amigo





nosso amigo comum



nosso comum amigo

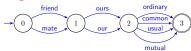


amigo comum nosso

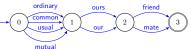


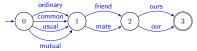
I! permutations \times t^I translations

amigo nosso comum



comum nosso amigo



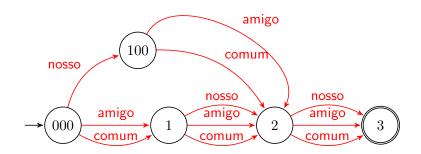


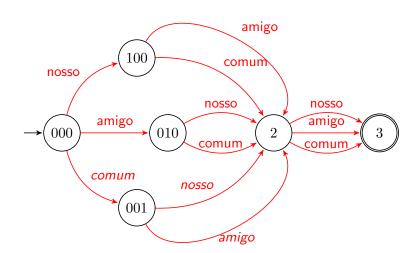


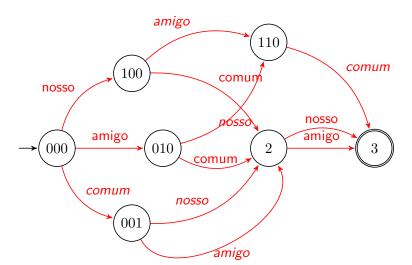


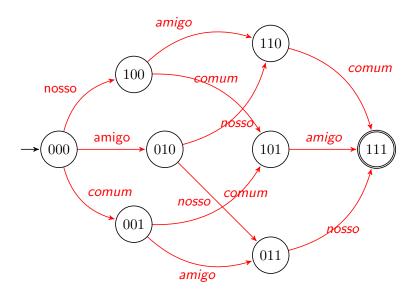










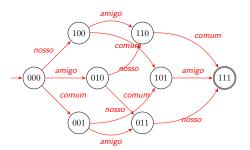


Powerset (all subsets) of $\{1, 2, \dots, I\}$

► 2^I subsets think of a vector of I bits;)

Lattice

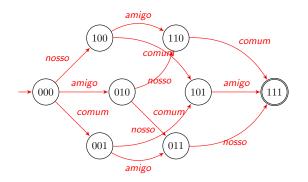
- $ightharpoonup O(2^I)$ states
- $ightharpoonup O(I imes 2^I)$ transitions



Word replacement with unconstrained reordering

Source: nosso amigo comum

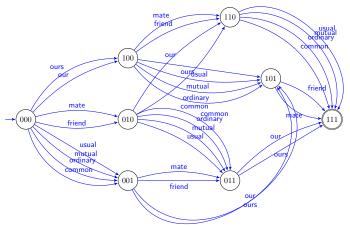
Word replacement with unconstrained reordering



Source: nosso amigo comum

1. arbitrary permutations: $O(2^I)$ states

Word replacement with unconstrained reordering



Source: nosso amigo comum

- 1. arbitrary permutations: ${\cal O}(2^I)$ states
- 2. intersection with the rule set: $O(tI2^I)$ transitions

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constrain reordering :D

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- constrain reordering :D
- **▶ 0.o** but how?

Ad-hoc distortion limit

Several flavours of distortion limit [Lopez, 2009]

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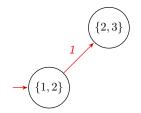
▶ limit reordering as a function of the number of skipped words

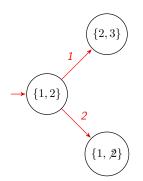
Ad-hoc distortion limit

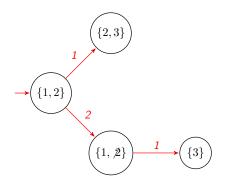
Several flavours of distortion limit [Lopez, 2009]

- ightharpoonup limit reordering as a function of the number of skipped words Moses allows reordering within a window of length d
 - starting from the leftmost uncovered word

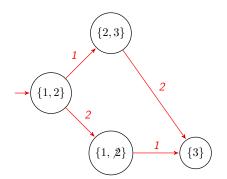


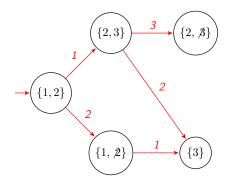


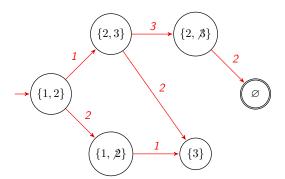


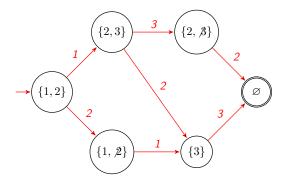


$\mathsf{WL}d$ (example)



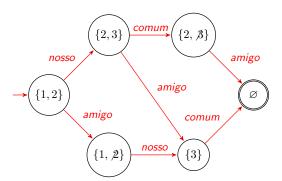






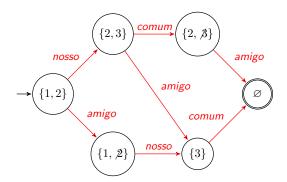
$\mathsf{WL}d$ (example)

Suppose d=2 and I=3 (e.g. nosso amigo comum)



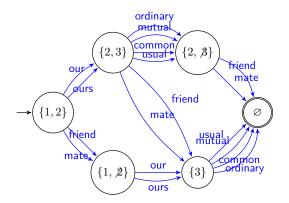
Word replacement with reordering constrained by WL2

Complexity: $O(I2^{d-1})$ states



Word replacement with reordering constrained by WL2

Complexity: $O(tI2^{d-1})$ transitions



Arbitrarily limit reordering to a fixed-length window

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- what about languages with very different syntax? e.g. OV vs VO, head-initial vs head-final

Arbitrarily limit reordering to a fixed-length window

- convenient (linear complexity), but
- what about languages with very different syntax? e.g. OV vs VO, head-initial vs head-final
- can we do better?

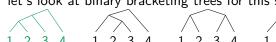
Binary permutations

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence

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Binary permutations $(((1\ 2)3)4)$ 1 2 3 4

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$$(((1\ 2)3)4)$$
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Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence









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$$(\langle (1\ 2)3\rangle 4)$$
 3 1 2 4

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence









$$(((1\ 2)3)4)$$
 1 2 3 4 $(((1\ 2)3)4)$ 2 1 3 4

$$((\langle 1 \ 2 \rangle 3)4) \ 2 \ 1 \ 3 \ 4$$

$$(\langle (1\ 2)3\rangle 4)$$
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$$(\langle\langle 1 \ 2\rangle\langle 3\rangle\langle 4\rangle)$$
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Binary permutations

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Binary permutations

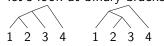
$$((1\langle 2 \ 3 \rangle)4)$$
 1 3 2 4

$$(\langle 1(2\ 3)\rangle 4)$$
 2 3 1 4

$$(\langle 1\langle 2 3\rangle \rangle 4)$$
 3 2 1 4

. . .

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence









Binary permutations

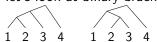
```
((1\ 2)(3\ 4)) 1 2 3 4
```

$$(\langle 1 \ 2 \rangle (3 \ 4))$$
 2 1 3 4

$$(\langle 1 \ 2 \rangle \langle 3 \ 4 \rangle)$$
 2 1 4 3

$$((1\ 2)\langle 3\ 4\rangle)$$
 1 2 4 3

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence









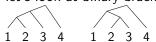
Binary permutations

```
\begin{array}{ccc} (1((2\ 3)4)) & 1\ 2\ 3\ 4 \\ (1(\langle 2\ 3\rangle 4)) & 1\ 3\ 2\ 4 \end{array}
```

$$(1\langle (2\ 3)4\rangle)$$
 1 4 2 3

$$(1\langle\langle 2 \ 3\rangle 4\rangle)$$
 1 4 3 2

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence









Binary permutations

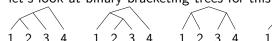
```
(1(2(3 4))) 1 2 3 4
```

$$(1(2\langle 3 4 \rangle))$$
 1 2 4 3

$$(1\langle 2(3 4)\rangle)$$
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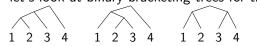




Binary permutations

constrains the space of permutations

Consider a sentence such that I=4 let's look at binary bracketing trees for this sentence





- constrains the space of permutations
- crossing constraint
 - 3 1 4 2 X
 - 2 4 1 3 X

Inversion Transduction Grammars (ITGs) [Wu, 1997]

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X → XX direct order

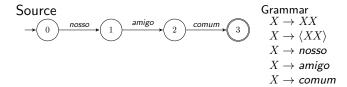
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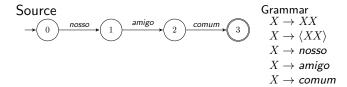
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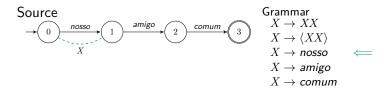
Inversion Transduction Grammars (ITGs) [Wu, 1997]

- ► $X \to XX$ direct order
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- ► $X \rightarrow f/e$, where $(f, e) \in R$ bilingual mappings

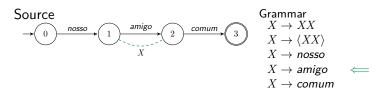






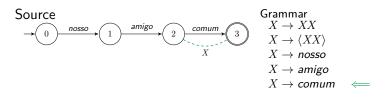


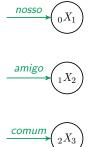


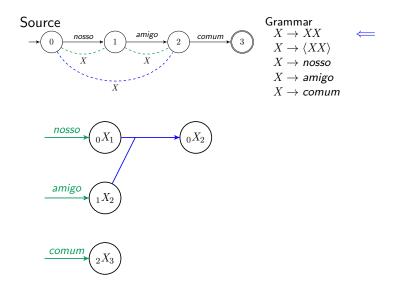


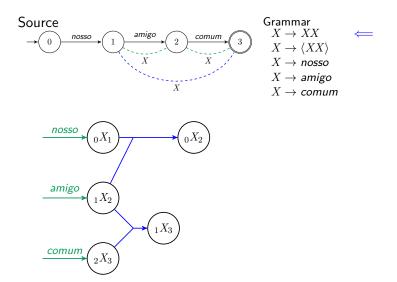


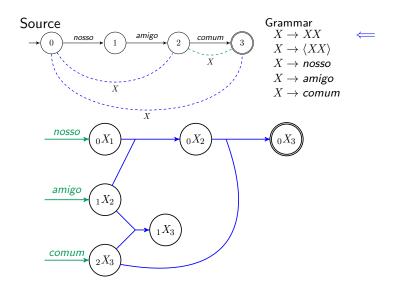
$$amigo$$
 $1X_2$

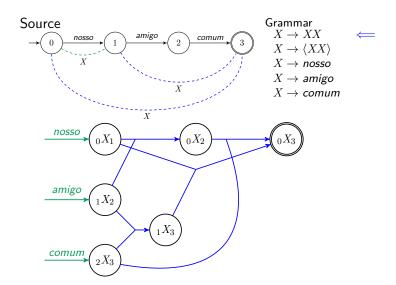


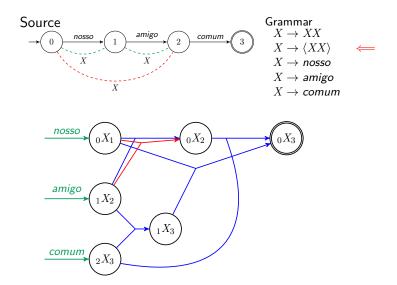


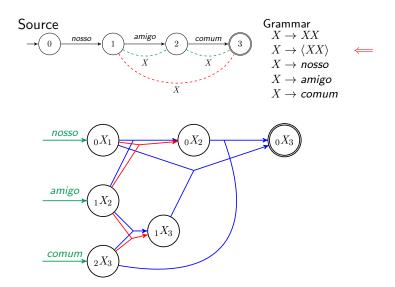


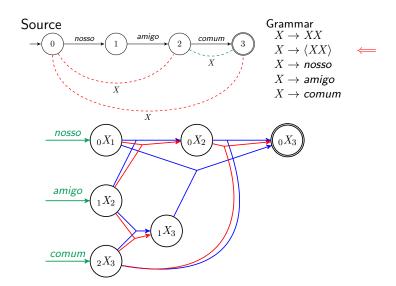


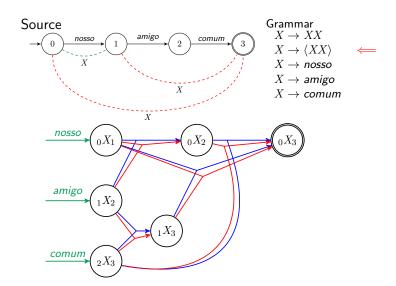


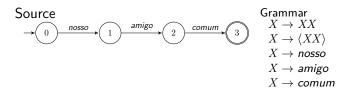


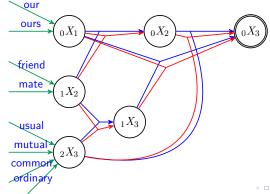


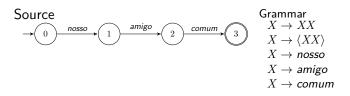


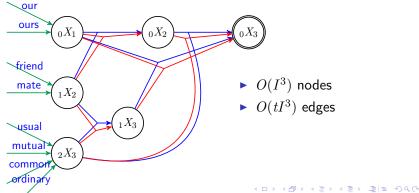






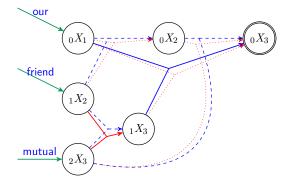






Example

(nosso ⟨amigo comum⟩) → our mutual friend



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But we still perform translation word-by-word with no insertion or deletion!

1-1 mappings: fail!

Source: o₁ grilo₂ da₃ lareira₄

Target: $the_1 \ cricket_2 \ [on \ the]_3 \ hearth_4$

Implicitly modelled by moving from words to phrases

▶ a phrase replacement model

- a phrase replacement model
- operating with an ITG (or with a distortion limit)

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- constrained to known phrase-to-phrase bilingual mappings (rule set)

Mappings of contiguous sequences of words

▶ learnt directly (e.g. stochastic ITGs)

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 e.g. a loja de antiguidades/old curiosity shop

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o {the, a}
grilo {cricket, annoyance}
da {on the, of, from}
hearth {lareira}
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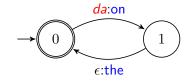
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Using FST

grilo:annoyance → 0

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Using FST

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- each rule can be seen as a transducer
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- standard intersection mechanisms do the rest

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We can translate a lattice encoding the WLd permutations

- a truncated window controls reordering
- there is a number of different segmentations of the input
 - $ightharpoonup O(I^2)$ segments
 - ▶ it is sensible to limit phrases to a maximum length
- complexity remains
 - linear with sentence length
 - exponential with distortion limit

Simply extend the terminal rules

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▶ $X \rightarrow XX$ direct order

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- $X \rightarrow \langle XX \rangle$ inverted order

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- ► $X \rightarrow r_i$, where $r_i \in R$ bilingual mappings

Generalising the rule set (ITG)

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Examples

 $X \rightarrow o/the$

 $X \to \mathsf{grilo}/\mathsf{cricket}$

 $X \to da/on$ the

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 $X \to da/on$ the

The intersection mechanisms do the rest

- ▶ $O(I^3)$ nodes (phrases are limited in length)
- $ightharpoonup O(tI^3)$ edges

We have

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 - in arbitrary order
 - or according to an ITG
- 2. efficiently represented the set of translations supported by these models for a given input sentence
 - trivially expressed in terms of intersection/composition
 - a logic program can do the same (sometimes more convenient, e.g. WLd constraints)

Phrase-based SMT [Koehn et al., 2003]

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Phrase-based SMT [Koehn et al., 2003]

the space of solutions grows linearly with input length and exponentially with the distortion limit

ITG [Wu, 1997]

- the space of solutions is cubic in length
- however less efficiently packed, better motivated constraints on reordering

¹Other than monotone translation with glue rules $\leftarrow \square \rightarrow \leftarrow \square \rightarrow \leftarrow \square \rightarrow \leftarrow \square \rightarrow \square \rightarrow \square$

Hierarchical phrase-based models [Chiang, 2005]

▶ more general SCFG rules (typically up to 2 nonterminals)

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We are missing a parameterisation of the model

the scoring function which will guide the decision making process

Let's call derivation

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- along with any latent structure assumed by the transfer model e.g. phrase segmentation, alignment

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Think of it as a surrogate for translation quality at decoding time [Berger et al., 1996] [Och and Ney, 2002]

Feature functions

Independently capture different aspects of the translation, such as

- adequacy
 - translation probabilities
 - confidence on lexical choices
- fluency
 - ▶ LM probabilities
 - confidence on reodering

Independence assumptions

Our transfer model makes independence assumptions

 "translation happens by concatenating isolated rules" e.g. flat mappings, hierarchical mappings

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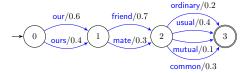
Certain aspects of translation quality comply with such assumptions

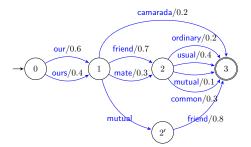
how likely a certain translation rule is
 e.g. relative frequency in a bilingual corpus



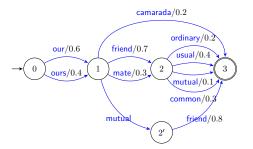








Scoring rules independently



inference runs in time linear with the size of the automaton

Independence assumptions

Our transfer model makes independence assumptions

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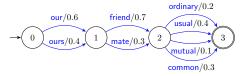
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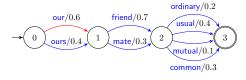
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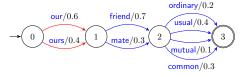
Certain aspects do not comply with such assumptions

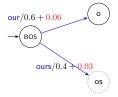
▶ fluency as captured by an *n*-gram LM component

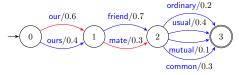


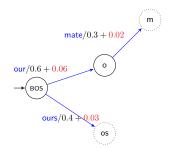


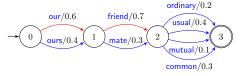


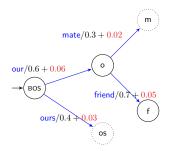


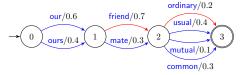


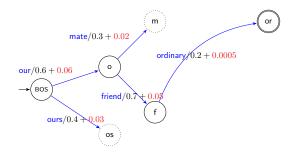


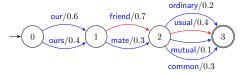


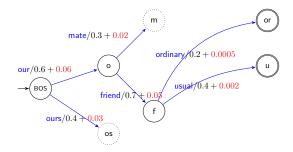


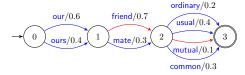


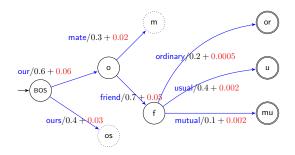


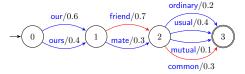


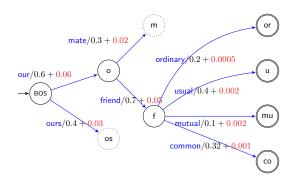


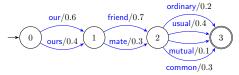


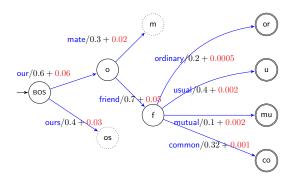












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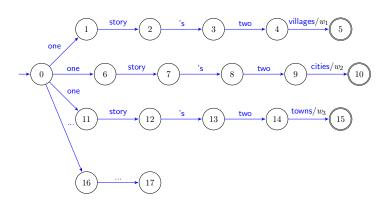
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No factorisation at the phrase (nor n-gram) level

- requires fully unpacking the representation
- making dependencies explicit through the graphical structure

Scoring whole sentences: example



Exhaustive enumeration

- number of edges exponential with input length
- ▶ intractable

Most features we can reliably estimate

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n-gram LMs are good examples

- ▶ there are up to $|\Delta|^{n-1}$ contexts that must be made explicit
- nodes must group derivations sharing the same context
- polynomial, though often prohibitive (impracticable)

1. a characterisation the space of solutions

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 - distance-based reordering
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 - a global feature function
- inference algorithms
- techniques to make inference feasible for interesting models

Picking one solution

What do we pick out of the (whole) weighted space of solutions?

- best translation
- "minimum-loss" translation

Best translation

MAP

$$\mathbf{y}^* = \operatorname*{argmax}_{\mathbf{y}} \sum_{\mathbf{y}[\mathbf{d}] = \mathbf{y}} f(\mathbf{d}|\mathbf{x})$$

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Viterbi (approximation to MAP)

$$\mathbf{d}^* = \operatorname*{argmax}_{\mathbf{d}} f(\mathbf{d}|\mathbf{x})$$

assumes the most likely derivation is enough

MBR

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$$\mathbf{y} = \operatorname*{argmin}_{\mathbf{y}} \left\langle \operatorname{loss}(\mathbf{y}, \mathbf{y}') \right\rangle_{p(\mathbf{y}'|\mathbf{x})}$$

$$\mathbf{y} = \operatorname*{argmax}_{\mathbf{y}} \left\langle \operatorname{gain}(\mathbf{y}, \mathbf{y}') \right\rangle_{p(\mathbf{y}'|\mathbf{x})}$$

$$\mathbf{y} = \operatorname*{argmax}_{\mathbf{y}} \left\langle \mathrm{BLEU}(\mathbf{y}, \mathbf{y}') \right\rangle_{p(\mathbf{y}'|\mathbf{x})}$$

▶ incorporates a loss (or gain) function

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- have a look at project 14;)

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[Koehn et al., 2003] [Chiang, 2007]

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[Kumar and Byrne, 2004] [Tromble et al., 2008]

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Importance sampling

Gibbs sampling

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Importance sampling

you will hear from us (project 14);)

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- 3. sometimes unbiased
- 4. ideal for MBR and tuning
- 5. typically stupid simple to parallelise

Thanks!

Questions?

References I

Adam L. Berger, Vincent J. Della Pietra, and Stephen A. Della Pietra. A maximum entropy approach to natural language processing. *Computational Linguistics*, 22(1):39–71, March 1996. ISSN 0891-2017. URL http://dl.acm.org/citation.cfm?id=234285.234289.

David Chiang. A hierarchical phrase-based model for statistical machine translation. In *Proceedings of the 43rd Annual Meeting on Association for Computational Linguistics*, ACL '05, pages 263–270, Stroudsburg, PA, USA, 2005. Association for Computational Linguistics. doi: 10.3115/1219840.1219873. URL http://dx.doi.org/10.3115/1219840.1219873.

David Chiang. Hierarchical phrase-based translation. Computational Linguistics, 33:201—228, 2007. URL http://www.mitpressjournals.org/doi/abs/10.1162/coli.2007.33.2.201.

References II

Kevin Knight. Decoding complexity in word-replacement translation models. Comput. Linguist., 25(4):607–615, December 1999. ISSN 0891-2017. URL http://dl.acm.org/citation.cfm?id=973226.973232.

Philipp Koehn, Franz Josef Och, and Daniel Marcu. Statistical phrase-based translation. In *Proceedings of the 2003 Conference of the North American Chapter of the Association for Computational Linguistics on Human Language Technology - Volume 1*, NAACL '03, pages 48–54, Stroudsburg, PA, USA, 2003. Association for Computational Linguistics. doi: 10.3115/1073445.1073462. URL http://dx.doi.org/10.3115/1073445.1073462.

References III

Shankar Kumar and William Byrne. Minimum Bayes-risk decoding for statistical machine translation. In Daniel Marcu Susan Dumais and Salim Roukos, editors, *HLT-NAACL 2004: Main Proceedings*, pages 169–176, Boston, Massachusetts, USA, May 2 - May 7 2004. Association for Computational Linguistics.

Adam Lopez. Statistical machine translation. *ACM Computing Surveys*, 40(3):8:1–8:49, August 2008. ISSN 0360-0300. doi: 10.1145/1380584.1380586. URL

http://doi.acm.org/10.1145/1380584.1380586.

Adam Lopez. Translation as weighted deduction. In Proceedings of the 12th Conference of the European Chapter of the Association for Computational Linguistics, EACL '09, pages 532–540, Stroudsburg, PA, USA, 2009. Association for Computational Linguistics. URL

http://dl.acm.org/citation.cfm?id=1609067.1609126.

References IV

Franz Josef Och and Hermann Ney. Discriminative training and maximum entropy models for statistical machine translation. In *Proceedings of the 40th Annual Meeting on Association for Computational Linguistics*, ACL '02, pages 295–302, Stroudsburg, PA, USA, 2002. Association for Computational Linguistics. doi: 10.3115/1073083.1073133. URL http://dx.doi.org/10.3115/1073083.1073133.

Khalil Sima'an. Computational complexity of probabilistic disambiguation by means of tree-grammars. In *Proceedings of the 16th conference on Computational linguistics - Volume 2*, COLING '96, pages 1175–1180, Stroudsburg, PA, USA, 1996. Association for Computational Linguistics. doi: 10.3115/993268.993392. URL http://dx.doi.org/10.3115/993268.993392.

References V

Roy W. Tromble, Shankar Kumar, Franz Och, and Wolfgang Macherey. Lattice minimum Bayes-risk decoding for statistical machine translation. In *Proceedings of the Conference on Empirical Methods in Natural Language Processing*, EMNLP '08, pages 620–629, Stroudsburg, PA, USA, 2008. Association for Computational Linguistics. URL

http://dl.acm.org/citation.cfm?id=1613715.1613792.

Dekai Wu. Stochastic inversion transduction grammars and bilingual parsing of parallel corpora. *Computational Linguistics*, 23(3):377–403, September 1997. ISSN 0891-2017. URL http://dl.acm.org/citation.cfm?id=972705.972707.

Ying Zhang and Stephan Vogel. Suffix array and its applications in empirical natural language processing. Technical report, CMU, Pittsburgh, PA, USA, December 2006.